## APPLICATIONS OF PERCENT

Applications of percents is a term that refers to the different ways that percents can be used.

- The percent of change refers to the percent an amount either increases or decreases based on the previous amounts or numbers.
o The percent of change can be used when determining the percent increase of the cost of any item over time, for example movie tickets, clothing or food.

situations, the exact percentage is not needed, but just an estimate.
Recognizing what is the approximate percent of a total can be very useful in everyday life.



## How to use applications of percent

Percent increase or decrease can be found by using the formula: percent of change $=$ actual change/original amount. The change is either an increase, if the amounts went up or a decrease if the amounts went down.

If a number changes from 33 to 89, the percent of increase would be:

```
Percent of increase }=(89-33)\div33=56\div33\approx1.6969\approx170
```

- When a number decreases, the percent of decrease is found using the same formula.

If a number changes from 75 to 55 , the percent of decrease would be:


Markup $=22,500 / 15,000=x / 100 \rightarrow(2,250,000)=15000 x \rightarrow x=150 \%$


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Simple interest is also calculated using percents. The interest equation, $\mathrm{I}=$ $\mathbf{P} \cdot \mathbf{r} \cdot \mathbf{t}$, is used to find the simple interest when given the principle, rate and time. If interest is given, along with two other values, such as rate or time, inverse operations can be used to solve for the missing value.

For example, how long should $\$ 1000$ be in an account at a rate of $5 \%$ in order to earn $\$ 200$ in interest?

Ex. $\mathrm{I}=\mathrm{P} \cdot \mathrm{r} \cdot \mathrm{t} \rightarrow 200=1000 \cdot 5 \% \cdot \mathrm{t} \rightarrow 200=(1000)(.05) \mathrm{t} \rightarrow 200=50 \mathrm{t} \rightarrow$ $200 / 50=\mathrm{t} \rightarrow 4=\mathrm{t}$

Since $t=4$, it means that the money should be in the account for 4 years in order to earn \$200 interest.

Estimating with percents is another way to use percents.


## Try This!

1. What is the percent increase of a gallon of milk that was originally $\$ 1.79$ and is now \$2.29?
2. What is the percent decrease in the value of a boat that originally cost $\$ 12,000$ and now sells for $\$ 8,000$ ?
3. What is the percent discount on a desk that originally cost $\$ 99$ and now costs \$59?
4. 


6. What is the missing value using, $I=P \cdot r \cdot t$ :

$$
\begin{aligned}
& I=\$ 500, r=8 \%, t=2 \text { years } \\
& I=\$ 50, P=\$ 2000, t=1 \text { year }
\end{aligned}
$$

7. If a computer costs $\$ 899$ and is $23 \%$ off, what is the estimated discount?
